

## Set Introduction (L-1)

What is set? A "SET" is a well defined structure representing an unordered collection (group, plurality) of zero or more distinct (different) objects.

- \* Set theory deals with operations b/w, relations among and statements about sets.

### Objectives

- It's a useful tool for formalizing and reasoning about computation and the objects of computation.
- It is similar to logic where comp. sci has its roots.
- It is source of fundamental ideas in Comp Sci from theory to practice

### Basic Definitions

- Objects in a set are called called the ELEMENTS or MEMBERS of the set.
- Capital letters  $A, B, C \dots$  usually denote sets.
- Lowercase letters  $a, b, c \dots$  denote the elements of a set.

- We relate an item in the set using the symbol  $\in$  ("an element of") relation.  
 $x \in \{x, y, z\}$

### Examples

- collection of vowels in the word "probability".
- collection of real numbers that satisfy an eq<sup>n</sup>
- collection of 2 digit +ve integers divisible by 5.
- collection of great football players at NFL.
- collection of intelligent members of the parliament.

### Representation of Sets.

#### ① SET BUILDER METHOD.

The actual elements of the set are not listed; relatively, a brief or a statement or formula is written inside a pair of curly braces.

$$A = \{1, 2, 3, 4, 5\}$$

$$A = \{x \mid x \in \mathbb{N}, 1 \leq x \leq 5\}$$

$$A = \{2, 4, 6, 8, 10, 14\}$$

$$A = \{2x \mid x \in \mathbb{N}, 1 \leq x \leq 7\}$$

#### ② ROSTER METHOD

The set elements under consideration are written inside a pair of curly braces and are separated by commas.

$$A = \{0, 2, 4, 6, 8, 10\}$$